

**BIRLA INSTITUTE OF TECHNOLOGY, MESRA, RANCHI**  
(MID SEMESTER EXAMINATION SP/2025)

CLASS: BTECH  
BRANCH: MECHANICAL

SEMESTER: IV  
SESSION: SP/2025

SUBJECT: ME213 THERMO-FLUID ENGINEERING

TIME: 02 Hours

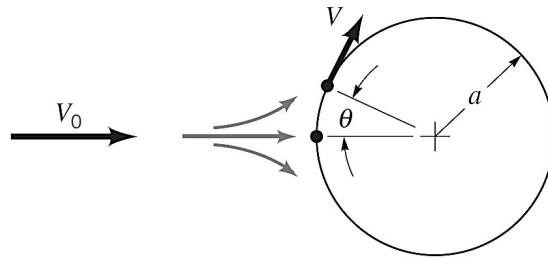
FULL MARKS: 25

**INSTRUCTIONS:**

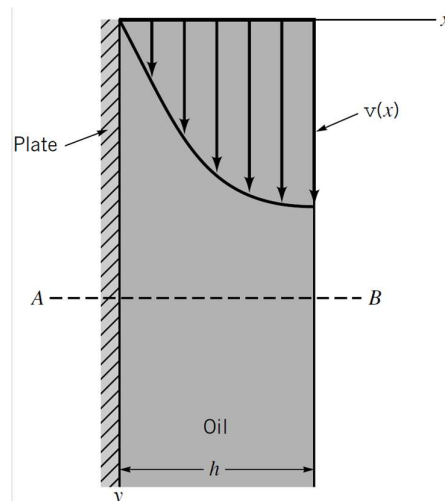
1. The question paper contains 5 questions each of 5 marks and total 25 marks.
2. Attempt all questions.
3. The missing data, if any, may be assumed suitably.

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|---|-----|---------|-----------|
| <p>Q.1 Define streamlines and pathlines in fluid flow. Also comment on the validity (or invalidity) of the following statements, with suitable justification:</p> <ul style="list-style-type: none"> <li>(i) Streamlines and pathlines can never coincide.</li> <li>(ii) Two streamlines can never intersect.</li> <li>(iii) Streamlines through a point at successive intervals of time can be different.</li> </ul> | [5] | CO<br>1 | BL<br>1-4 |
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| <p>Q.2(a) A fluid flows past a circular cylinder of radius <math>a</math> with an upstream speed of <math>V_0</math> as shown in the figure below. The velocity of the fluid along the surface of the cylinder is given by <math>V = 2V_0 \sin \theta</math>. Determine the streamline and normal components of acceleration on the surface of the cylinder as a function of <math>V_0</math>, <math>a</math> and <math>\theta</math>.</p> | [2] | 1-2 | 1-3 |
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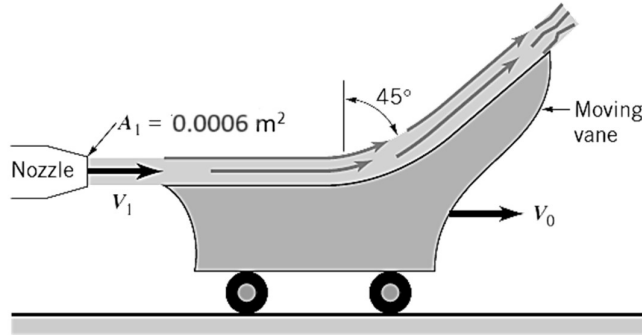


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| <p>Q.2(b) A layer of oil flows down a vertical plate as shown in the figure with a velocity of <math>\vec{V} = \frac{V_0}{h^2} (2hx - x^2) \hat{j}</math>, where <math>V_0</math> and <math>h</math> are constants. (a) Show that the fluid sticks to the plate (<math>x = 0</math>) and that the shear stress at the edge of the layer (<math>x = h</math>) is zero. (b) Determine the volumetric flowrate across surface <math>AB</math>. Assume the width of the plate is <math>b</math>.</p> | [3] | 1-3 | 1-3 |
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Q.3 Derive the equation defining conservation of angular momentum in integral analysis of fluid motion, starting from Newton's 2<sup>nd</sup> law and using RTT. Briefly describe how this equation can be used to find the torque on the shaft of a rotating lawn sprinkler, clearly showing the control volume and the control surfaces considered for the analysis. [5] 1-3 1-2

Q.4 A vane on wheels moves with constant velocity of  $V_0 = 6$  m/s when a stream of water having a nozzle exit velocity of  $V_1 = 30$  m/s is turned  $45^\circ$  by the vane as indicated in the figure. The cross-sectional area of the stream of water over the vane is  $0.0006$  m<sup>2</sup>, and the length of the water stream is equal to  $0.3$  m. Determine the magnitude of force in the horizontal and vertical directions,  $F_x$  and  $F_y$ , exerted by the stream of water on the vane surface. [5] 1-3 1-4



Q.5 Derive the equation of conservation of mass in differential form for fluid flow in the 3D rectangular cartesian coordinate. Also state the following forms of the mass conservation equation:  
 (i) generalized coordinate independent vectorial form  
 (ii) reduced form for steady compressible flow  
 (iii) reduced form for incompressible flow. [5] 1-2 1-2

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