CLASS: BRANCI		BIRLA INSTITUTE OF TECHNOLOGY, MESRA, RANCHI (MID SEMESTER EXAMINATION SP/2023)	SEMESTER : SESSION : SF		3
TIME:	02 Hour	SUBJECT: MA205 DISCRETE MATHEMATICS	: MA205 DISCRETE MATHEMATICS FULL MARKS: 25		
<ul> <li>INSTRUCTIONS:</li> <li>1. The question paper contains 5 questions each of 5 marks and total 25 marks.</li> <li>2. Attempt all questions.</li> <li>3. The missing data, if any, may be assumed suitably.</li> <li>4. Tables/Data handbook/Graph paper etc., if applicable, will be supplied to the candidates</li> </ul>					
Q.1(a) Q.1(b)	Define well orde Show that $\forall x (P($	ring Principle. (x) $\land Q(x)$ and $\forall x P(x) \land \forall Q(x)$ are logically equivalent.	[2] [3]		BL 1 3
Q.2(a) Q.2(b)		is prove that $(\sim (p \land \sim q) \land (\sim q \lor r) \land (\sim r)) \rightarrow \sim p$ . e of Mathematical Induction to verify that for any positive intege e by n.	[2] r n, [3]		2 4
Q.3(a)		ing function for the given recurrence relation $a_r - 8a_{r-1}$ the initial condition $a_0 = 0$ and $a_1 = 3$ .	+ [2]	2	3
Q.3(b)		ence relation $a_r - 2a_{r-1} - 15a_{r-2} = r^2$ .	[3]	2	3
Q.4(a) Q.4(b)	Find the generat	ting function for the sequence $0^2$ , $1^2$ , $2^2$ , $3^2$ , $4^2$ , $5^2$ ting function for the given recurrence relation $a_r = -2a_r$ the initial condition $a_0 = 2$ and $a_1 = 3$ .	[2] -2 + [3]		1 3
Q.5(a) Q.5(b)	Using Warshall's	ace relation with example. algorithm compute transitive closure of the relation $R =$ (2,2) (3,4)(4,4)} defined over non empty set $A = \{1,2,3,4\}$ .	[2] [3]		1 4

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