

Find chords of minimum spanning tree of above graph.

ΡΤΟ

- Q.2(b) Let G be an undirected connected graph with distinct edge weights. Let e_{max} be the [5] 3 3 edge with maximum weight and e_{min} be the edge with minimum weight.
 - a. Justify whether MST consist emin
 - b. Justify whether MST consist e_{max}
- Q.3(a) The graph G has 6 vertices with degrees 2,2,3,4,4,5. How many edges does G have? [2] 3 4 Could G be planar? If so, how many faces would it have. If not, explain.
- Q.3(b) Is it possible for a planar graph to have 6 vertices, 10 edges and 5 faces? Explain. 3 5 [2] 5 Q.3(c) 3 graph is planar if and only if, [2] А lf does not contain subgraphs homeomorphic K_5 and K_{3, 3}. (a) to does not contain subgraphs isomorphic K_5 or (b) lt to K_{3,} 3. Which option is correct? Justify your answer.
- Q.3(d) Write an algorithm for finding clique in a graph. Explain your steps with example. [4] 2 3
- Q.4(a) Find incident matrix, Adjacency matrix, Adjacency list of given graphs. [3+2] 2



Q.4(b) e_5 e_6 e_6 e_1 e_2 e_2 e_2 e_3 e_4 e_3 e_4 e_4 e_3 e_4 e_4 e_3 e_4 e_1 e_2 e_3 e_3 e_4 e_3 e_4 e_3 e_3 e_3 e_3 e_3 e_3 e_3 e_4 e_3 e_3 e_3 e_3 e_3 e_3 e_4 e_3 e_3

Proof the above graphs are isomorphic using adjacency matrix method.

Q.5(a) You have a set of magnetic alphabet letters (one of each of the 26 letters in the [2] 4 5 alphabet) that you need to put into boxes. For obvious reasons, you don't want to put two consecutive letters in the same box. What is the fewest number of boxes you need (assuming the boxes are able to hold as many letters as they need to)?

Find the chromatic number of each of the following graphs.



[2] 3 3

2

- Q.5(c) Show that in a directed graph where every vertex has the same number of incoming [2] 3 2 as outgoing paths there exists an Eulerian path for the graph.
- Q.5(d) Find circuit matrix of given graph.



[4] 4 3

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