BIRLA INSTITUTE OF TECHNOLOGY, MESRA, RANCHI (END SEMESTER EXAMINATION MO2022)

CLASS: BRANCH:	M.TECH. CIVIL		SEMESTER: I SESSION: MO2022
TIME:	03 Hours	SUBJECT: CE503 STRUCTURAL DYNAMICS	FULL MARKS: 50
INSTRUCTIO	DNS:		

1. The guestion paper contains 5 guestions each of 10 marks and total 50 marks.

- 2. Attempt all questions.
- 3. The missing data, if any, may be assumed suitably.

- Q.1(a) Define natural frequency and critical damping.
- Derive the equation of motion for the following single degree of freedom (SDOF) [3] Q.1(b) CO1 K4 system



- Q.1(c) A Heavy table is supported by flat steel legs. Its natural period in lateral vibration is [5] CO1 K3 0.4 sec. When 4 kg plate is clamped to its surface, the natural period in lateral vibration is lengthened to 0.6 sec. What are the weight and effective stiffness of the table?
- 0.2(a) Explain the resonance phenomena with respected to harmonic vibration of single [2] CO1 K2 degree of freedom (SDOF) system.
- What is the difference between the damped and undamped natural frequencies and [3] Q.2(b) CO1 K3 natural time periods for a damping ratio of 0.5?
- Derive the equation of displacement for harmonic forced vibration response of [5] CO1 K2 Q.2(c) underdamped SDOF system with zero initial velocity and zero initial displacement
- Q.3(a) Write a short note on the modal super position method of solving multi degree of [2] CO2 K2 freedom system K3 CO2
- Q.3(b) Proves the orthogonality properties of mode shapes.
- Determine the natural frequencies and mode shapes of the two-storey structure shown [5] K3 CO2 Q.3(c) in the given figure



Explain the Forward Cauchy Euler time stepping methods with suitable example. CO3 K2 Q.4(a) [3] Q.4(b) The floor masses and story stiffnesses of the three-storey frame, idealized as a shear [7] CO2 K4 frame, are shown in given figure, where m 100 kg, and k=168 N/m. determine frequency and mode shape for first mode by inverse vector iteration.



C01

K1

[2]

[3]

Q.5(a)	Write a short note on modal participation factor.	[2]	CO4	K2
0.5(h)	Derive the equation of motion for single degree of freedom (SDoF) system subjected to	[2]	C04	K3

- Q.5(b) Derive the equation of motion for single degree of freedom (SDoF) system subjected to [3] CO4 K3 earthquake loading.
- Q.5(c) Derive the solution for undamped free vibration of multi degree of freedom (MDoF) [5] CO2 K4 system subjected to initial displacement $\{u_0\}$ and initial velocity $\{\dot{u}_0\}$.

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